#### ESE 3400: Medical Devices Lab

### Lec 19: December 12, 2022 Course Review





 An apparatus used in the diagnosis, mitigation, therapy, or prevention of a disease not through a chemical action (i.e is not a drug)

□ Eg.

- Blood pressure monitor *diagnoses* hypertension
- Ablation catheter destroys Barret's esophagus precancerous cells *mitigates* the spread of cancer
- Cochlear implant is *therapy* for hearing ability
- A condom *prevents* STI infection



- □ What is the clinical need?
- □ What biometric signals are needed if any?
  - What sensors can acquire this?
  - Is diagnosis needed?
- □ What medical intervention/stimulation is needed?
  - Electrical stimulation for mitigation or therapy?

# Motivating Questions (con't)

- What is the use model of the device?
  - Long term/short term use?
  - Does it need to be mobile?
  - Power source/management?
  - Is it wearable or implantable?
  - Data management/transmission?
- Patient and operator safety concerns?



- Utilize sensors to monitor biometric signals
- Design differential analog circuitry to acquire and condition biometric signal
- Employ circuitry to digitize and transmit data wirelessly via Bluetooth
- **D** Build and populate a PCB given circuit schematic
- Extract biometrics (eg. Heart rate, respiration, etc.) from discrete-time signal
- Relate time-domain behaviour to frequency domain content of discrete time signals
- Implement simple digital filters



□ In other words...

## Hands on lab experience

### Systems and Platforms

#### Signal Conditioning and Acquisition











#### FIGURE 1.1

Three types of medical instruments. (A) Simple. (B) Analog. (C) Digital.

### Monitoring Vital Signs

- Body Temperature
  - Thermistors

- □ Heart Rate and Heart Rate Variability
  - Surface electrodes
- Respiration Rate
  - Photodiodes
- Blood Pressure
  - Pressure sensors
- Height/Weight
  - Scale and ruler



Light

P+

N+

Contact

Insulator



Pressure sensor components: a diaphragm, strain gauge, and Wheatstone bridge.





- Sensor outputs may (read: amost always) need amplification for any sort of acquisition and data analysis
- Use operational amplifier to do this
  - Amplifies differential input:  $Out = A(V_{in+}-V_{in-})$ , where A is large





#### Differential amplifier











#### $\leftarrow$ Display side || Patient side $\rightarrow$







Recording Conventions, Waveform Nomenclature, and Normal Values for the Electrocardiogram.

#### ADC

#### Analog to Digital Converter





## Ideal B-bit Quantizer

- Practical quantizers have a limited input range and a finite set of output codes
- E.g. a 3-bit quantizer can map onto
  2<sup>3</sup>=8 distinct output codes

- Quantization error grows out of bounds beyond code boundaries
- We define the full scale range (FSR) as the maximum input range that satisfies  $|e_q| \le \Delta/2$ 
  - Implies that  $FSR = 2^B \cdot \Delta$





• Assuming full-scale sinusoidal input, we have

 $SNR_Q = 6.02B + 1.76 dB$ 

B (Number of Bits)	SQNR
8	50dB
12	74dB
16	98dB
20	122dB



- □ Word-at-a-time
  - E.g. flash ADC
  - Instantaneous comparison with 2<sup>B</sup>-1 reference levels
- Multi-step
  - E.g. pipeline ADCs
  - Coarse conversion, followed by fine conversion of residuals
- Bit-at-a-time
  - E.g. successive approximation ADCs
  - Conversion via a binary search algorithm

speed



#### Data: http://www.stanford.edu/~murmann/adcsurvey.html



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- **SQNR** 
  - SQNR determined by bit resolution, B
- Nyquist ADCs
  - Flash ADCs
    - Word-at-a-time for high speed, low resolution applications
  - SAR ADCs
    - Bit-at-a-time for low speed, low power applications
    - Highly suited for medical devices
- Oversampling
  - Enables reduction in quantization noise with digital filter
  - Sigma-Delta ADCs
    - Use integrator in feedback to shape noise and achieve high resolution
    - Usually for low speed, low power applications

### Signals and Systems





- Discrete-time sinusoids  $e^{j(\omega n + \phi)}$  have two counterintuitive properties
- **\Box** Both involve the frequency  $\omega$











**Property #2**: Aperiodicity

$$\omega = \frac{2\pi k}{N}, \quad k, N \in \mathbb{Z}$$



# DEFINITION

A system H is linear time-invariant (LTI) if it is both linear and time-invariant

LTI system can be completely characterized by its impulse response



 Then the output for an arbitrary input is a sum of weighted, delay impulse responses

$$x \longrightarrow h \longrightarrow y \qquad y[n] = \sum_{m=-\infty}^{\infty} h[n-m] x[m]$$
$$y[n] = x[n] * h[n]$$



$$x \longrightarrow h \longrightarrow y$$

**Convolution formula:** 

$$y[n]=x[n]*h[n]=\sum_{m=-\infty}^{\infty}h[n-m]\,x[m]$$

- Convolution method:
  - 1) Time reverse the impulse response and shift it *n* time steps to the right
  - 2) Compute the inner product between the shifted impulse response and the input vector
  - Repeat for evey *n*

# LTI System Frequency Response

□ (DT)Fourier Transform of impulse response

$$x[n]=e^{j\omega n} \longrightarrow LTI System \rightarrow y[n]=H(e^{j\omega})e^{j\omega n}$$

$$H(e^{j\omega}) = \sum_{k=-\infty}^{\infty} h[k]e^{-j\omega k}$$

## DTFT and Sampling





$$X(e^{j\omega}) = \sum_{k=-\infty}^{\infty} x[k]e^{-j\omega k}$$

$$x[n] = \frac{1}{2\pi} \int_{-\pi}^{\pi} X(e^{j\omega}) e^{j\omega n} d\omega$$

















# Compressive Sensing

- □ Shannon/Nyquist theorem is pessimistic
  - 2 × bandwidth is the worst-case sampling rate holds uniformly for any bandlimited data
  - Sparsity/compressibility is irrelevant
  - Shannon sampling based on a linear model, compression based on a nonlinear model
- Compressive sensing
  - New sampling theory that leverages compressibility
  - Two conditions needed:
    - Sparsity in some domain
    - Transformation to incoherent domain



## Digital Filters











$$W(e^{j\omega}) = \sum_{k=-\infty}^{\infty} w[k]e^{-j\omega k}$$
$$= \sum_{k=-N}^{N} e^{-j\omega k}$$

$$W(e^{j\omega}) = \frac{\sin((N+1/2)\omega)}{\sin(\omega/2)}$$



Tradeoff – Ripple vs. Transition Width



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The frequency response H(ω) of the ideal low-pass filter passes low frequencies (near ω = 0) but blocks high frequencies (near ω = ±π)

 $H(\omega) = egin{cases} 1 & -\omega_c \leq |\omega| \leq \omega_c & \ 0 & ext{otherwise} \end{cases}$ 



Truncate and shift  $h_{LP}[n] = w_N[n-N] \cdot h[n-N]$ 

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 $\omega_{c}$ 





Time Bandwidth Product



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#### Hands-on Skills learned:

- Sensor Characterization
- Filter Characterization
- Circuit Simulation in SPICE
- Board level implementation
- PCB design and layout in Altium
- Arduino Microcontroller and BLE experience
- Python coding
  - And CircuitPython!





- What was your experience?
- □ What would you covered that wasn't?
  - What did you want more detail on?
- What was covered that you don't care about?
- □ What did you need more/less time for?
- □ What did you need more guidance/references on?
- Send me an email
- □ Slip a note under my office door
- □ Write in course review
- Send by carrier pigeon



- Make sure you turn in all Labs, Presentations, and Report by tonight at Midnight
  - Anything submitted after is subject to late penalty

Thank you for all your hard work and participation this semester!