

Structure

- LUT sequences ubiquitous

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Hardwired Logic Blocks

Single Output

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Hardwired Logic Blocks

Two outputs

9

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Delay Model

- $T_{\text{cascade}} = T(3\text{LUT}) + T(\text{mux})$
- Don't pay
 - General interconnect
 - Full 4-LUT delay

10

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Options

11

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Chung & Rose Study

Figure 8: Delay Study HLB Topologies

12

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Cascade LUT Mappings

Logic Block	N_R	% decr in N_R	D_{int} (ns)	% decr in D_{int}
K4	5.4	0	30	0
L2-2	4.2	22	26	13
L2-3	3.4	37	22	27
L2-4	3.1	43	21	30
L2-5	3.0	44	21	30
L3-3.2	4.0	26	25	17
L3-4.2	3.0	44	21	30
L3-4.3	3.1	43	21	30
L3-5.2.2	3.1	43	21	30
L3-5.3	3.0	44	21	30
L3-5.4	2.9	46	20	33
L3-6.4	2.8	48	20	33

Table 3: Delay Performance of Different HLBs

[Chung & Rose, DAC '92]

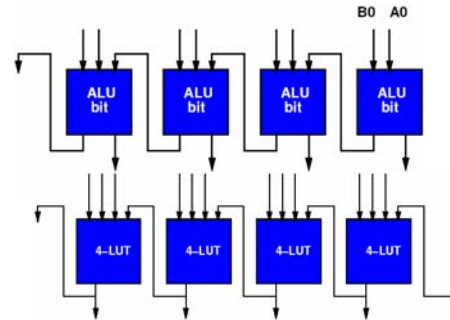
Block Cet	2-inp L2-3	X4000 CLB	4-inp L2-3	4-inp L3-4.2
byrom	40	36	26	19
ab2	77	71	48	37
ab4	126	122	82	61
apex7	44	38	27	20
l3	92	90	56	43
c1354	131	91	80	59
cl	21	17	15	11
cc	17	8	5	7
cmf2a	8	5	5	4
comp	27	17	14	13
count	21	21	14	10
decod	19	10	8	8
emx	10	5	5	5
vda	96	97	70	53
vml	3	3	3	2
Net HLBs	603	561	421	300
LUT Bits	16072	22440	20208	20480
Ratio	0.70	1	0.90	0.91
HLB pins	6530	6171	3473	3440
Ratio	1.06	1	0.80	0.88

Table 2: Area Measures of Different HLBs

13

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ALU vs. Cascaded LUT?



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14

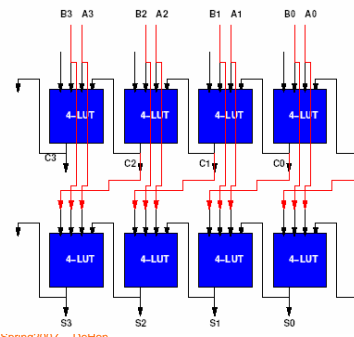
Datapath Cascade

- ALU/LUT (datapath) Cascade
 - Long “serial” path w/out general interconnect
 - Pay only Tmux and nearest-neighbor interconnect

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15

4-LUT Cascade ALU

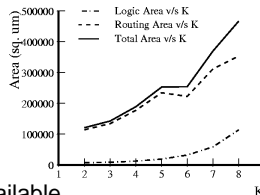


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ALU vs. LUT ?

- Compare/contrast
- ALU
 - Only subset of ops available
 - Denser coding for those ops
 - Smaller
 - ...but interconnect dominates
 - [Datapath width orthogonal to function]

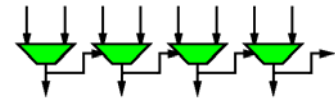


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Parallel Prefix LUT Cascade?

- Can we do better than $N \times T_{mux}$?
- Can we compute LUT cascade in $O(\log(N))$ time?
- Can we compute mux cascade using parallel prefix?



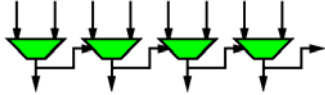
- Can we make mux cascade associative?

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18

Parallel Prefix Mux cascade

- How can mux transform $S \rightarrow \text{mux-out}$?
 - $A=0, B=0 \rightarrow \text{mux-out}=0$
 - $A=1, B=1 \rightarrow \text{mux-out}=1$
 - $A=0, B=1 \rightarrow \text{mux-out}=S$
 - $A=1, B=0 \rightarrow \text{mux-out}=\neg S$

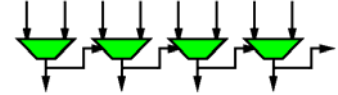


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Parallel Prefix Mux cascade

- How can mux transform $S \rightarrow \text{mux-out}$?
 - $A=0, B=0 \rightarrow \text{mux-out}=0$ Stop = S
 - $A=1, B=1 \rightarrow \text{mux-out}=1$ Generate = G
 - $A=0, B=1 \rightarrow \text{mux-out}=S$ Buffer = B
 - $A=1, B=0 \rightarrow \text{mux-out}=\neg S$ Invert = I

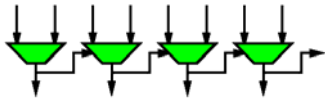


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Parallel Prefix Mux cascade

- How can 2 muxes transform input?
- Can I compute 2-mux transforms from 1 mux transforms?



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Two-mux transforms

- $SS \rightarrow S$ • $GS \rightarrow S$ • $BS \rightarrow S$ • $IS \rightarrow S$
- $SG \rightarrow G$ • $GG \rightarrow G$ • $BG \rightarrow G$ • $IG \rightarrow G$
- $SB \rightarrow S$ • $GB \rightarrow G$ • $BB \rightarrow B$ • $IB \rightarrow I$
- $SI \rightarrow G$ • $GI \rightarrow S$ • $BI \rightarrow I$ • $II \rightarrow B$

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22

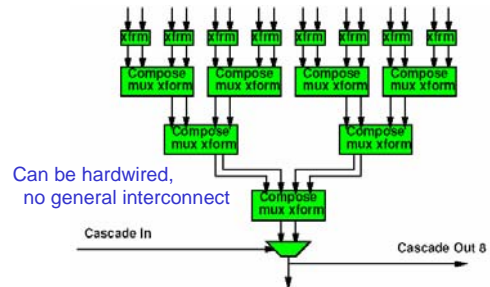
Generalizing mux-cascade

- How can N muxes transform the input?
- Is mux transform composition associative?

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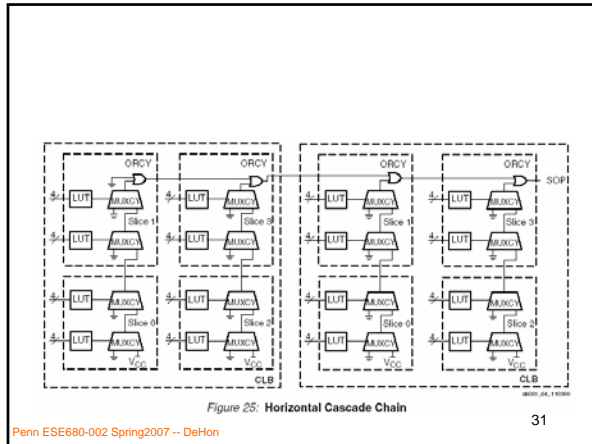
23

Parallel Prefix Mux-cascade



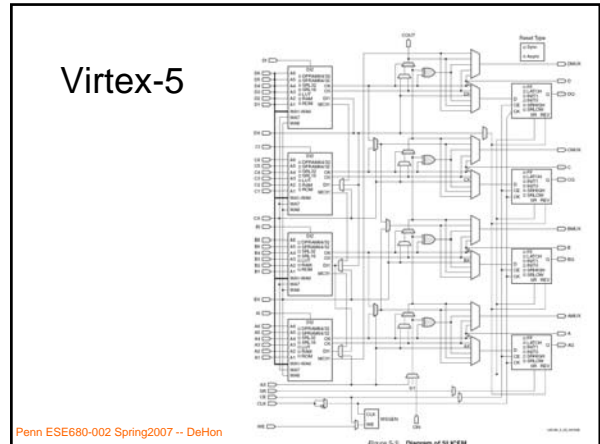
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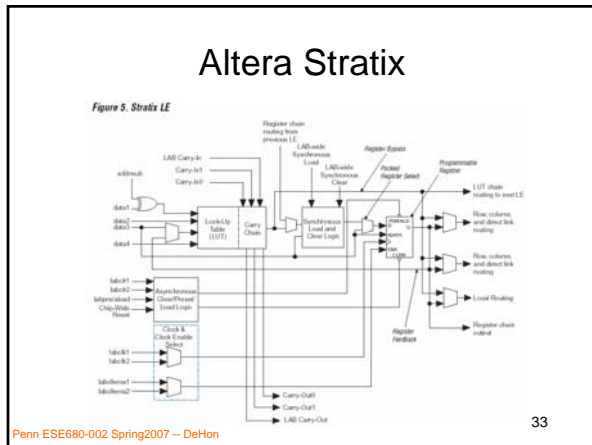


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31

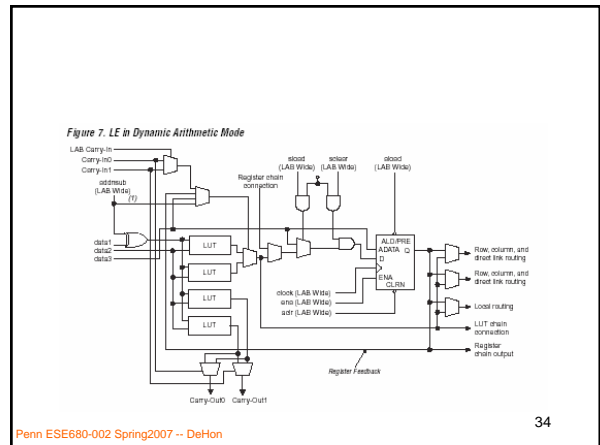


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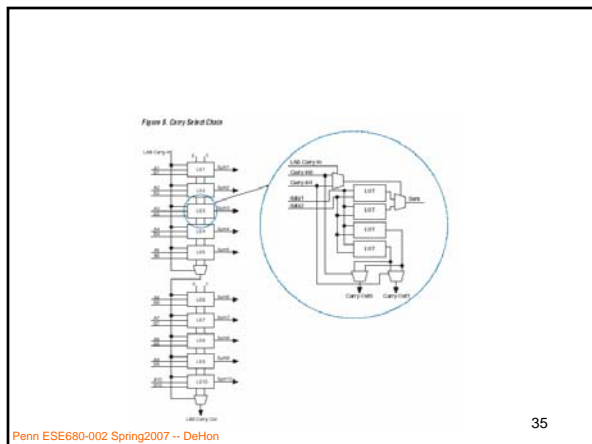
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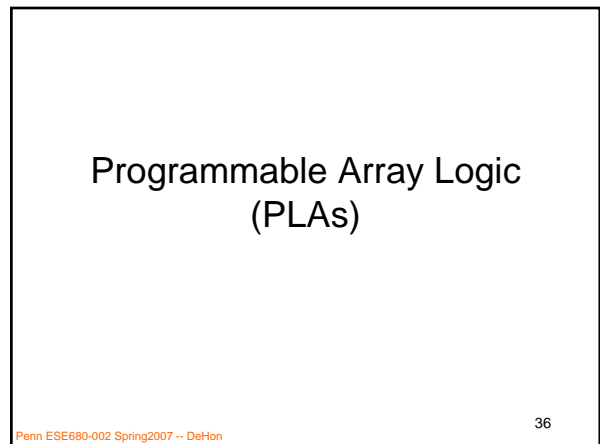
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34



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35



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36

PLA

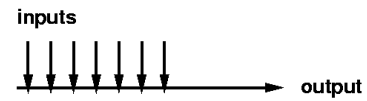
- Directly implement flat (two-level) logic
 - $O = a*b*c*d + !a*b!*d + b!*c*d$
- Exploit substrate properties allow wired-OR

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37

Wired-or

- Connect series of inputs to wire
- Any of the inputs can drive the wire high

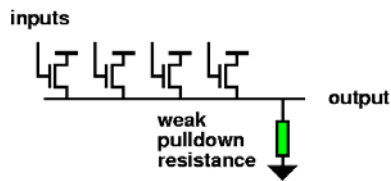


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38

Wired-or

- Implementation with Transistors

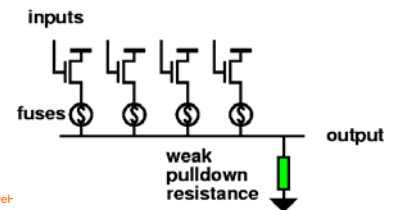


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39

Programmable Wired-or

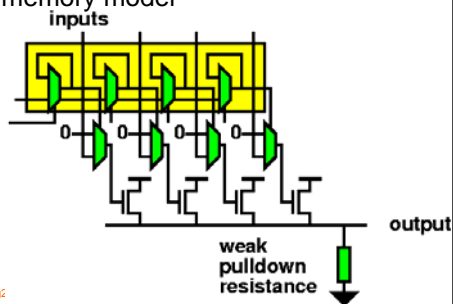
- Use some memory function to programmable connect (disconnect) wires to OR
- Fuse:



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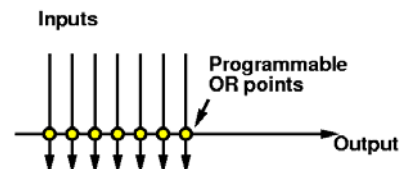
Programmable Wired-or

- Gate-memory model



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Diagram Wired-or

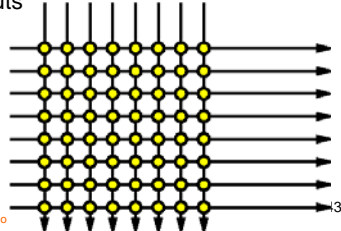


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Wired-or array

- Build into array
 - Compute many different **or** functions from set of inputs

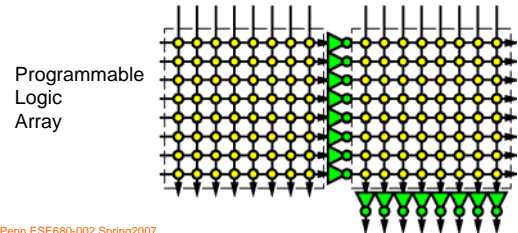


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Combined or-arrays to PLA

- Combine two or (**nor**) arrays to produce PLA (**and-or** array)



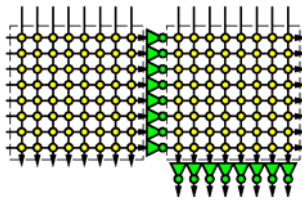
Programmable Logic Array

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44

PLA

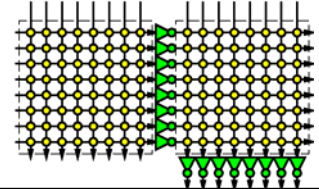
- Can implement each **and** on single line in first array
- Can implement each **or** on single line in second array



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PLA

- Efficiency questions:
 - Each **and/or** is linear in total number of potential inputs (not actual)
 - How many product terms between arrays?



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PLA Product Terms

- Can be exponential in number of inputs
- E.g. n-input **xor** (parity function)
 - When flatten to two-level logic, requires exponential product terms
 - $a^*!b+!a*b$
 - $a^*!b^*!c+!a*b^*!c+!a^*!b^*c+a^*b^*c$
- ...and shows up in important functions
 - Like addition...

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47

PLAs

- Fast Implementations for large ANDs or ORs
- Number of P-terms **can be** exponential in number of input bits
 - most complicated functions
 - not exponential for many functions
- Can use arrays of small PLAs
 - to exploit structure
 - like we saw arrays of small memories last time

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48

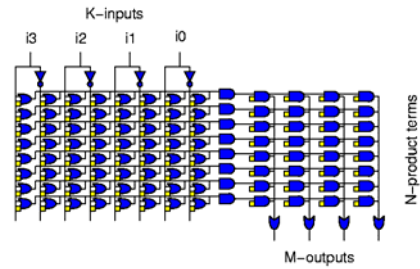
PLAs vs. LUTs?

- Look at Inputs, Outputs, P-Terms
 - minimum area (one study, see paper)
 - $K=10, N=12, M=3$
- A(PLA 10,12,3) comparable to 4-LUT?
 - 80-130%?
 - 300% on ECC (structure LUT can exploit)
- Delay?
 - Claim 40% fewer logic levels (4-LUT)
 - (general interconnect crossings)

[Kouloheris & El Gamal/CICC'92] 49

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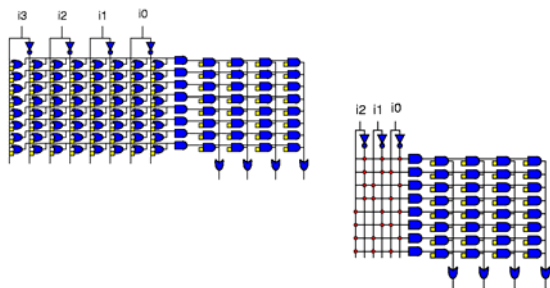
PLA



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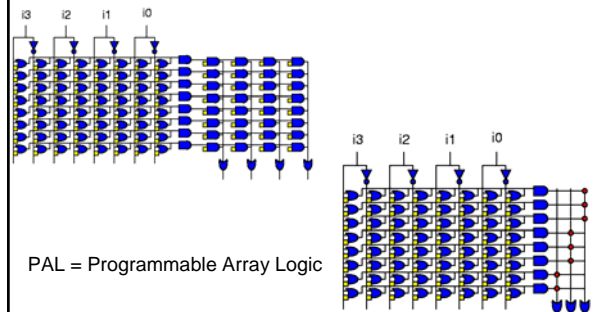
50

PLA and Memory



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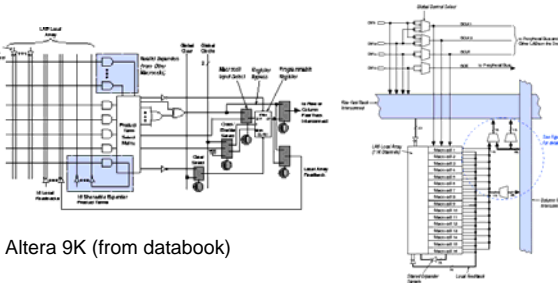
PLA and PAL



PAL = Programmable Array Logic

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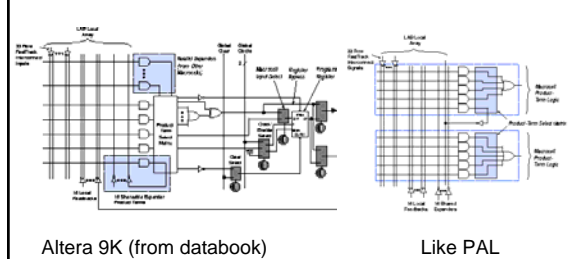
Conventional/Commercial FPGA



Altera 9K (from databook)

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Conventional/Commercial FPGA



Altera 9K (from databook)

Like PAL

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54

Big Ideas [MSB Ideas]

- Programmable Interconnect allows us to exploit that structure
 - want to match to application structure
 - Prog. interconnect delay expensive
- Hardwired Cascades
 - key technique to reducing delay in programmables
- PLAs
 - canonical two level structure
 - hardwire portions to get Memories, PALS

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Big Ideas [MSB-1 Ideas]

- Better structure match with hardwired LUT cascades

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56