

**Question 1****1 / 1 pts**

Let  $(x_1, y_1), \dots, (x_t, y_t)$  be a sequence of labeled examples where  $x_i \in \mathbb{R}^n$ ,

$\|x_i\| \leq 10$ , and  $y_i \in \{1, -1\}$  for all  $i$ . Suppose there exists some  $u \in \mathbb{R}^n, \|u\| = 1$  such that

$y_i(u^T x_i) \geq 5$  for all  $i$ .

Then Perceptron makes at most 100 mistakes on this example sequence.

**Correct!** True False**Question 2****1 / 1 pts**

You are tasked with learning a new function over 5 Boolean variables. The function's output is either 0 or 1 and it is given to you that this function belongs to the at least *m-of-n* class of functions. Your friend suggests that they have a good learning algorithm that can learn linear threshold units and suggests that you use it. Is this a good choice?

No, since only neural networks can express the type of functions you care about

Yes, since all Boolean functions can be represented as LTUs.

**Correct!**

Yes, since m-of-n functions can be represented as LTUs.

No, since the class of LTUs over 5 variables may not express all the functions you care about.

**Question 3****1 / 1 pts**

Let  $D = \{(x_1, y_1), (x_2, y_2), \dots, (x_n, y_n)\}$  be a dataset where each  $x_i$  is a feature vector and  $y_i \in \{-1, 1\}$  be the corresponding binary label.

If  $D$  is linearly separable, which of the following conditions must be true? Select all that apply.

**Correct!**

There exist a weight vector  $w$ , bias  $\theta$ , and non-negative constant  $c$  such that for all  $i$ ,

$$y_i(w^T x_i + \theta) \geq c$$

**Correct!**

There exist a weight vector  $w$ , bias  $\theta$ , such that for all  $i$ ,

$y_i(w^T x_i + \theta) \geq 0$

**Correct!**

There exist a weight vector  $w$ , bias  $\theta$ , such that for all  $i$ ,

$y_i(w^T x_i + \theta) \leq 0$

There exist exactly one weight vector  $w$  and bias  $\theta$  such that for all  $i$ ,

$y_i(w^T x_i + \theta) \geq 0$

**Question 4****1 / 1 pts**

Regarding the learning algorithms that we have learned so far, which statement(s) of the following are true? Select all that apply.

**Correct!**

The averaged perceptron algorithm can be implemented by keeping track of a weighted vector  $\mathbf{w}_{sum}$  that is a weighted sum of earlier weight vectors.



The final weight vector of the averaged perceptron algorithm weighs each of the earlier weight vectors by a weight that is inversely proportional to the "quality" of the weight vector.

**Correct!**

The perceptron algorithm updates its weight vector by adding an example (times some constant) to the current weight vector.



When the examples presented to the Perceptron algorithm are Boolean vectors, all coordinates of the weight vector  $\mathbf{w}$  are being updated (changed to a different value) when the algorithm makes a mistake.



When the examples presented to the Winnow algorithm are Boolean vectors, all coordinates of the weight vector  $\mathbf{w}$  are being updated (changed to a different value) when the algorithm makes a mistake.

**Question 5****1 / 1 pts**

Consider the following data points:

$$\mathbf{x}_1 = [1, -1, 3]$$

$$\mathbf{x}_2 = [4, 0, 0]$$

$$\mathbf{x}_3 = [0, 1, -2]$$

$$\mathbf{x}_4 = [2, 2, 0]$$

Assume we have a weight vector and bias

$$\mathbf{w} = [1, -1, 0]$$

$$\theta = 2$$

The distance between a point  $\mathbf{x}$  and the hyperplane defined by  $\mathbf{w}$  and  $\theta$  is

$$\frac{|\mathbf{w}^T \mathbf{x} + \theta|}{\|\mathbf{w}\|}$$

which example  $\mathbf{x}_i, i \in [1, 4]$  above is the **farthest** to the hyperplane?

$\mathbf{x}_1$

$\mathbf{x}_2$

$\mathbf{x}_3$

$\mathbf{x}_4$

Correct!

Quiz Score: **5** out of 5