

# Programming Languages and Techniques (CIS120)

Lecture 3

Jan 13, 2013

Value-Oriented Programming  
Lists and Recursion

# Announcements

- Homework 1: OCaml Finger Exercises
  - Due: Tuesday, Jan 22<sup>nd</sup> at 11:59:59pm (midnight)
- Please *read* Chapter 1-3 of the course notes, which are available from the course web pages.
- Lab topic this week: *Debugging OCaml programs*
- TA office hours: on webpage (calendar) and on Piazza
- Questions?
  - Post to Piazza, privately if you need to include code
  - My drop-by office hours: 3:30-5PM today

# Value-Oriented Programming in OCaml

See also Chapter 2 of the CIS 120 lecture notes available from the web pages.

# Caveat

Many people find programming in OCaml a little disorienting at first. The syntax is unfamiliar, but more importantly OCaml embodies a *value-oriented* programming style that takes a little while to get used to.

For the moment, we ask you to trust that this is all going to feel much more natural in a couple of weeks and enjoy the challenge of learning to think about programming a little differently.

# Value-Oriented Programming

We run programs by *calculating* expressions to values:

`3 ⇒ 3`                    values compute to themselves

`3 + 4 ⇒ 7`

`2 * (4 + 5) ⇒ 18`

`true && (false || true) ⇒ true`

The notation `<exp> ⇒ <val>` means that the expression `<exp>` computes to the value `<val>`.

Note: the symbol '`⇒`' is *not* OCaml syntax. It's a convenient way to *talk* about OCaml syntax.

# Primitive Values

OCaml's built-in primitive types of values include...

- **int**

0, 1, 42, -1, 999

- **float**

3.14159, 0.123

- **string**

"hello world"

- **bool**

true, false

- In the next few weeks, we will introduce many more value forms, built from structured data.

# Expressions

Numeric expressions (ints):

$1 + 2$	addition
$1 - 2$	subtraction
$2 * 3$	multiplication
$10 / 3$	integer division
$10 \text{ mod } 3$	modulus (remainder)

From constants and operations, we can build bigger expressions:

$$(1 + 2 * (10 \text{ mod } 4)) / 4$$

\*These operators can only be used with ints. Floating point operators have a . after them.

# Step-wise Calculation

- We can understand  $\Rightarrow$  in terms of single step calculations written ' $\mapsto$ '
  - Single step calculations do “the expected thing” for primitive operations
- For example:

$$(2+3) * (5-2)$$

$$\mapsto 5 * (5-2)$$

because  $2+3 \mapsto 5$

$$\mapsto 5 * 3$$

because  $5-2 \mapsto 3$

$$\mapsto 15$$

because  $5*3 \mapsto 15$



# Operators

## Comparisons:

=	equality	(these can be used with any type of data – numbers, strings, characters, etc.)
<>	inequality	
<	less than	
>=	greater than or equal	

## Boolean (logical) operators:

not	logical negation	(These can only be used with boolean values. Most operators in OCaml only work for a single type of argument.)
&&	and	
	or	

## String operators:

^	string concatenation
---	----------------------

# Conditional Expressions

```
if s = "positive" then 1 else -1
```

```
if day >= 6 && day <= 7  
then "weekend" else "weekday"
```

OCaml conditionals are *expressions*: they can be used inside of other expressions:

```
(if 3 > 0 then 2 else -1) * 100
```

```
if x > y then "x is bigger"  
else if x < y then "y is bigger"  
else "same"
```

# Running Conditional Expressions

- A conditional expression yields the value of either its ‘then’-branch expression or its ‘else’-branch expression, depending on whether the test is ‘true’ or ‘false’.

- For example:

`(if 3 > 0 then 2 else -1) * 100`

$\mapsto$  `(if true then 2 else -1) * 100`

$\mapsto$  `2 * 100`

$\mapsto$  `200`

- Note: this means that it’s not sensible to leave out the ‘else’ branch. (What would be the result if the test was ‘false’?)

# (Top-level) Let Declarations

A let declaration gives a *name* (a.k.a. an *identifier*) to the result of some expression\*.

```
let pi = 3.14159
let seconds_per_day = 60 * 60 * 24
```

Note that there is no way of *assigning* a new value to an identifier after it is declared.

\*We might sometimes call these identifiers *variables*, but the terminology is a bit confusing because in languages like Java and C a variable is something that can be modified over the course of a program. In OCaml, like in mathematics, once a variable's value is determined, it can never be modified... As a reminder of this difference, for the purposes of OCaml we'll try to use the word "identifier" when talking about the name bound by a let.

# Scope

Multiple declarations of the same variable or function name are allowed. The later declaration *shadows* the earlier one for the rest of the program.

```
let x = 1
let y = x + 1
let x = 1000
let z = x + 2
let test () : bool =
  z = 1002
;; run_test "x shadowed" test
```

scope of x

scope of y

scope of x  
(shadows  
earlier x)

scope of z

# Evaluating Let Declarations

To calculate the value of a let declaration, first calculate the value of the right hand side and then substitute that value for the identifier in its scope:

```
let x = 1
let y = x + 1
let x = 1000
let z = x + 2
let test () : bool =
  z = 1002
;; run_test "x shadowed" test
```

# Evaluating Let Declarations

To calculate the value of a let declaration, first calculate the value of the right hand side and then substitute that value for the identifier in its scope:

```
let x = 1
let y = 1 + 1
let x = 1000
let z = x + 2
let test () : bool =
  z = 1002
;; run_test "x shadowed" test
```

1  $\Rightarrow$  1, so  
substitute 1  
for x in x's  
scope

note that this  
occurrence  
doesn't  
change

# Evaluating Let Declarations

To calculate the value of a let declaration, first calculate the value of the right hand side and then substitute that value for the identifier in its scope:

```
let x = 1
let y = 2
let x = 1000
let z = x + 2
let test () : bool =
  z = 1002
;; run_test "x shadowed" test
```

$1+1 \Rightarrow 2$ , so substitute 2 for y in y's scope (there are no occurrences of y)



# Evaluating Let Declarations

To calculate the value of a let declaration, first calculate the value of the right hand side and then substitute that value for the identifier in its scope:

```
let x = 1
let y = 2
let x = 1000
let z = 1000 + 2
let test () : bool =
  z = 1002
;; run_test "x shadowed" test
```

1000 $\Rightarrow$ 1000, so  
substitute 1000  
for x in this x's  
scope

This 'x' is part of  
the string...it  
doesn't change.

# Evaluating Let Declarations

To calculate the value of a let declaration, first calculate the value of the right hand side and then substitute that value for the identifier in its scope:

```
let x = 1
let y = 2
let x = 1000
let z = 1002
let test () : bool =
  1002 = 1002
;; run_test "x shadowed" test
```

1000+2 $\Rightarrow$ 1002,  
so substitute  
1002 for z in its  
scope

# Local Let Declarations

Let declarations can appear both at top-level and *nested* within other expressions.

```
let f (x:int) : int =  
  let y = x * 10 in  
  y * y  
  
let test () : bool =  
  (f 3) = 900  
;; run_test "test f" test
```

scope of x is  
the body of f

scope of y is  
nested within  
the body of f

scope of f is  
the rest of the  
program

Nested let declarations are followed by “in”.  
Top-level let declarations are not.

# Top-level Declarations

A top-level declaration can be either an *identifier declaration* or a *function declaration*.

```
let x : int = 100
let f (k:int) : int = k * 5 + x
let y : int = f 42
```

The *scope* of each declaration is the remainder of the program after the point where it occurs.

Unlike many other languages, identifiers and functions can only be used *after* they are declared.

# Function Declarations

function name

parameter names

parameter types

```
let total_secs (hours:int)
                (minutes:int)
                (seconds:int)
                : int =
    (hours * 60 + minutes) * 60 + seconds
```

function body (an expression)

result type

# Function Calls

Once a function has been declared, it can be invoked by writing the function name followed by a list of arguments. This is called *function application*.

```
total_secs 5 30 22
```

(Note that the list of arguments is *not* parenthesized.)

# Calculating With Functions

- To calculate the value of a function application, first calculate values for its arguments and then *substitute* them for the parameters in the body of the functions.

```
total_secs (2 + 3) 12 17
  ↳ total_secs 5 12 17      because 2+3 ↦ 5
  ↳ (5*60 + 12) * 60 + 17  subst. the args. in the body
  ↳ (300 + 12) * 60 + 17
  ↳ 312 * 60 + 17
  ↳ 18720 + 17
  ↳ 18737
```

```
let total_secs (hours:int)
               (minutes:int)
               (seconds:int) : int =
  (hours * 60 + minutes) * 60 + seconds
```

# Test Commands

Tests *always* follow the same pattern:

```
let test () : bool =  
    (attendees 500) = 120  
;; run_test "Attendees at $5.00" test  
  
let test () : bool =  
    (attendees 490) = 135  
;; run_test "Attendees at $4.90" test
```

The arguments are:

- an expression to be tested
- the expected result
- a string describing the test

The `run_test` command (like all commands) is prefixed by a double-semicolon.

Such commands are the *only* places that semicolons should appear in your programs (so far).



# Structured Data

# A Design Problem / Situation

Suppose we have a friend who has a lot of digital music, and she wants some help with her playlists.

She wants to be able to do things like check how many songs are in a playlist, check whether a particular song is in a playlist, check how many Lady Gaga songs are in a playlist, and see all of the Lady Gaga songs in a playlist, etc.

She might want to *remove* all the Lady Gaga songs from her collection.

# Design Pattern

## 1. Understand the problem

What are the relevant concepts and how do they relate?

## 2. Formalize the interface

How should the program interact with its environment?

## 3. Write test cases

How does the program behave on typical inputs? On unusual ones? On erroneous ones?

## 4. Implement the behavior

Often by decomposing the problem into simpler ones and applying the same recipe to each

# 1. Understand the problem

*How do we store and query information about songs?*

Important concepts are:

1. A playlist (a collection of songs)
2. A fixed collection of *gaga\_songs*
3. Counting the *number\_of\_songs* in a playlist
4. Determining whether a playlist *contains* a particular song
5. Counting the *number\_of\_gaga\_songs* in a playlist
6. Calculating *all\_gaga\_songs* in a playlist
7. Calculating *all\_non\_gaga\_songs* in a playlist

## 2. Formalize the interface

- Represent a song by a *string* (which is its name)
- Represent a playlist using an *immutable list of strings*
- Represent the collection of Lady Gaga Songs using a *oplevel definition*
- Define the interface to the functions:

```
let number_of_songs (pl : string list) : int =  
let contains (pl : string list) (song : string) : bool =  
let number_of_gaga_songs (pl : string list) : int =  
let all_gaga_songs (pl : string list) : string list =  
let all_non_gaga_songs (pl : string list) : string list =
```

# List Types\*

The type of lists of integers is written

```
int list
```

The type of lists of strings is written

```
string list
```

The type of lists of booleans is written

```
bool list
```

The type of lists of lists of strings is written

```
(string list) list
```

etc.

\*Note that lists in OCaml are *homogeneous* – all of the list elements must be of the same type. If you try to create a list like [1; "hello"; 3; true] you will get a type error.

# What is a list?

- A list is either:

`[ ]` the *empty* list, sometimes called *nil*

or

`v::tail` a *head* value  $v$ , followed by a list of the remaining elements, the *tail*

- Here, the ‘`::`’ operator *constructs* a new list from a head element and a shorter list.
  - This operator is pronounced “cons” (for “construct”)
- Importantly, *there are no other kinds of lists.*

# Example Lists

To build a list, cons together elements, ending with the empty list:

```
1::2::3::4::[ ]
```

a list of four numbers

```
"abc"::"xyz"::[ ]
```

a list of two strings

```
true::[ ]
```

a list of one boolean

```
[ ]
```

the empty list



# Explicitly parenthesized

'::' is an ordinary operator like + or ^, except it takes an element and a *list* of elements as inputs:

```
1 :: (2 :: (3 :: (4 :: [ ])))
```

a list of four numbers

```
"abc" :: ("xyz" :: [ ])
```

a list of two strings

```
true :: [ ]
```

a list of one boolean

```
[ ]
```

the empty list

# Convenient List Syntax

Much simpler notation: enclose a list of elements in [ and ] separated by ;

```
[ 1;2;3;4 ]
```

a list of four numbers

```
[ "abc";"xyz" ]
```

a list of two strings

```
[ true ]
```

a list of one boolean

```
[ ]
```

the empty list

# Calculating With Lists

- Calculating with lists is just as easy as calculating with arithmetic expressions:

$(2+3)::(12 / 5)::[]$

$\mapsto 5::(12 / 5)::[]$

because  $2+3 \Rightarrow 5$

$\mapsto 5::2::[]$

because  $12/5 \Rightarrow 2$

A list is a value whenever all of its elements are values.

## 3. Write test cases

```
let pl1 : string list = [ "Bad Romance"; "Nightswimming";  
    "Telephone"; "Everybody Hurts" ]  
let pl2 : string list = [ "Losing My Religion";  
    "Man on the Moon"; "Belong" ]  
let pl3 : string list = []  
  
let test () : bool =  
    (number_of_songs pl1) = 4  
;; run_test "number_of_songs pl1" test  
  
let test () : bool =  
    (number_of_songs pl2) = 3  
;; run_test "number_of_songs pl2" test  
  
let test () : bool =  
    (number_of_songs pl3) = 0  
;; run_test "number_of_songs pl3" test
```

Define playlists for testing.  
Include some with and  
without Gaga songs as well as  
an empty list.