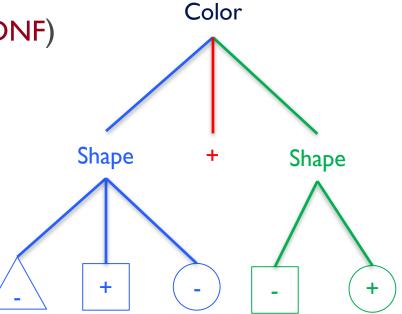
CIS 519 Recitation 3

Decision Tree

- A hierarchical data structure that represents data by implementing a divide and conquer strategy
 - color={red, blue, green} ; shape={circle, triangle, rectangle} ; label= {+, -}
- Nodes are tests for feature values, leaves specify the category (labels)
- Can be rewritten as rules in Disjunctive Normal Form (DNF)
- What is the hypothesis space here?
 - 2 features: color and shape
 - 3 values each: color(red, blue, green), shape(triangle, square, circle)
 - |X| = 9: (red, triangle), (red, circle), (blue, square) ...
 - -|Y| = 2: + and -
 - $-|H| = 2^9$



Learning a Decision Tree: ID3

- Let **S** be the set of Examples
 - Label is the target attribute (the prediction)
 - Attributes is the set of measured attributes
- We want attributes that split the examples to sets that are relatively pure in one label

1_

• when **p**_i is the fraction of examples labeled i:

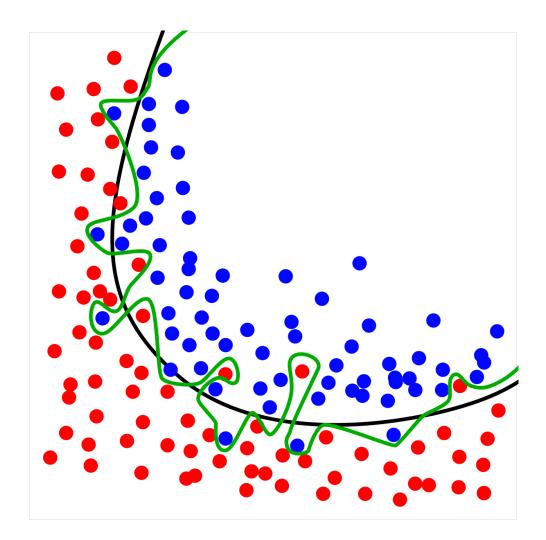
$$Entropy(S[p_1, p_2, \dots, p_k]) = -\sum_{i=1}^{k} p_i \log(p_i)$$

$$Gain(S,a) = Entropy(S) - \sum_{v \in values(S)} \frac{|S_v|}{|S|} Entropy(S_v)$$

where $\boldsymbol{S}_{\boldsymbol{v}}$ is the subset of \boldsymbol{S} for which attribute \boldsymbol{a} has value \boldsymbol{v}

Overfitting

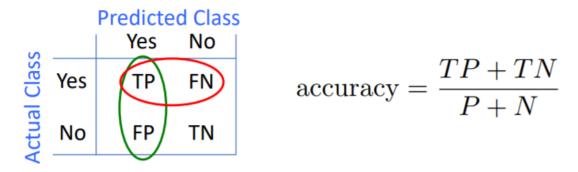
- A decision tree overfits the training data when its accuracy on the training data goes up but its accuracy on unseen data goes down
- Overfitting results in models that are more complex than necessary: after learning knowledge they "tend to learn noise"
- Training error no longer provides a good estimate of how well the tree will perform on previously unseen records



Performance Measures

Confusion Matrix

• Given a dataset of P positive instances and N negative instances:



 Imagine using classifier to identify positive cases (i.e., for information retrieval)

$$\text{precision} = \frac{TP}{TP + FP}$$

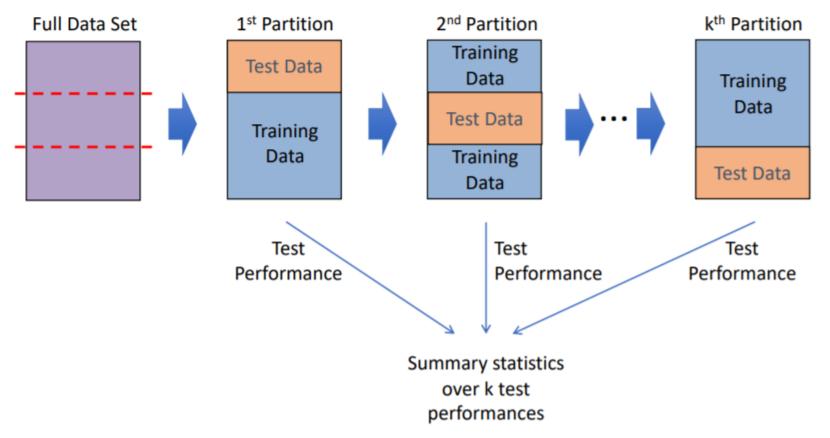
Probability that a randomly selected result is relevant

Probability that a randomly selected relevant document is retrieved

 $\operatorname{recall} = \frac{TP}{TP + FN} \qquad F1 = \frac{2 \times \operatorname{precision} \times \operatorname{recall}}{\operatorname{precision} + \operatorname{recall}}$

Cross Validation

- What's it for?
 - model Choosing, parameter tuning...
- How does it work?



Scikit Learn

- Read the documentation!
 - http://scikit-learn.org/stable/
- <u>http://scikit-learn.org/stable/modules/generated/</u> <u>sklearn.linear_model.SGDClassifier.html</u>
- <u>http://scikit-learn.org/0.16/modules/generated/</u> <u>sklearn.cross_validation.train_test_split.html</u>

HW1 Q&A