

# Fine-Grained Sentiment Analysis with Structural Features

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# Motivation

## Goal:

- **Sentiment analysis:**
  - determining the polarity of a text with respect to a particular topic.

## Existing Solutions:

- Document level
- Sentence level

# Motivation

## Problem:

- Different opinions can even be uttered in the same sentence.

e.g.

Despite the pretty design(Positive) I would never recommend it(Negative), because the sound quality is unacceptable(Negative).

# Motivation

## A New Fine-Grained solution:

- Sentiment analysis on subsentence level.
- Motivated by Rhetorical Structure Theory(Mann and Thompson, 1988), every text consists of elementary segments that are connected by relations.

e.g.

s1 = Despite the pretty design

s2 = I would never recommend it

s3 = because the sound quality is unacceptable

s1 -(concession)- s2 -(cause-explanation-evidence)- s3

# Method

## Basic idea:

- Integration the heterogeneous features such as polarity scores from sentiment lexicons and neighborhood relations between segments.
- Employ Markov logic networks(MLN) as the framework for combing numerical and structure features.

# Method

## Markov Networks:

- A Markov network  $M$  is an undirected graph whose nodes represent a set of random variables  $X = \{X_1, \dots, X_n\}$  and whose edges model direct probabilistic interactions between adjacent nodes. More formally, a distribution  $P$  is a log-linear model over a Markov network  $M$  if it is associated with:
  - a set of features  $\{f_1(D_1), \dots, f_k(D_k)\}$ , where each  $D_i$  is a clique in  $M$  and each  $f_i$  is a function from  $D_i$  to  $\mathbb{R}$ .
  - a set of real-valued weights  $w_1, \dots, w_k$ , such that

$$P(\mathbf{X} = \mathbf{x}) = \frac{1}{Z} \exp \left( \sum_{i=1}^k w_i f_i(D_i) \right),$$

where  $Z$  is a normalization constant.

# Method

## Markov Logic Networks[1,2]:

- A Markov Logic Network (MLN)  $L$  is a set of pairs  $(F_i, w_i)$  where:
  - $F_i$  is a formula in first-order logic
  - $w_i$  is a real number (the weight of the formula)
- Applied to a finite set of constants  $C = \{c_1, \dots, c_{|C|}\}$  it defines a Markov network  $M_{L,C}$ :
  - $M_{L,C}$  has one binary node for each possible grounding of each atom in  $L$ . The value of the node is 1 if the ground atom is true, 0 otherwise.
  - $M_{L,C}$  has one feature for each possible grounding of each formula  $F_i$  in  $L$ . The value of the feature is 1 if the ground formula is true, 0 otherwise. The weight of the feature is the weight  $w_i$  of the corresponding formula



# Method

## Markov Logic Networks:

- A ground MLN specifies a joint probability distribution over possible worlds (i.e. truth value assignments to all ground atoms)
- The probability of a possible world  $x$  is:

$$p(x) = \frac{1}{Z} \exp \left( \sum_{i=1}^F w_i n_i(x) \right)$$

where:

- the sum ranges over formulas in the MLN (i.e. clique templates in the Markov Network)
- $n_i(x)$  is the number of true groundings of formula  $F_i$  in  $x$



# Method

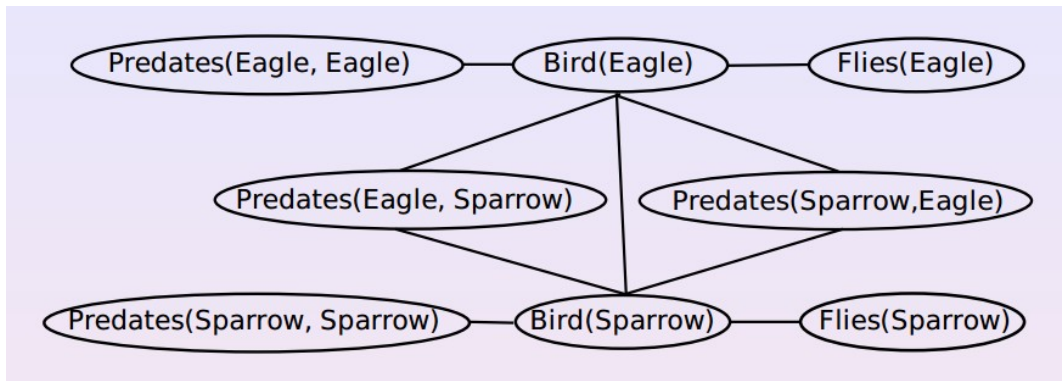
## Markov Logic Networks:

- A MLN with two (weighted) formulas:

$$w_1 \quad \forall x (\text{Bird}(x) \Rightarrow \text{Flies}(x))$$

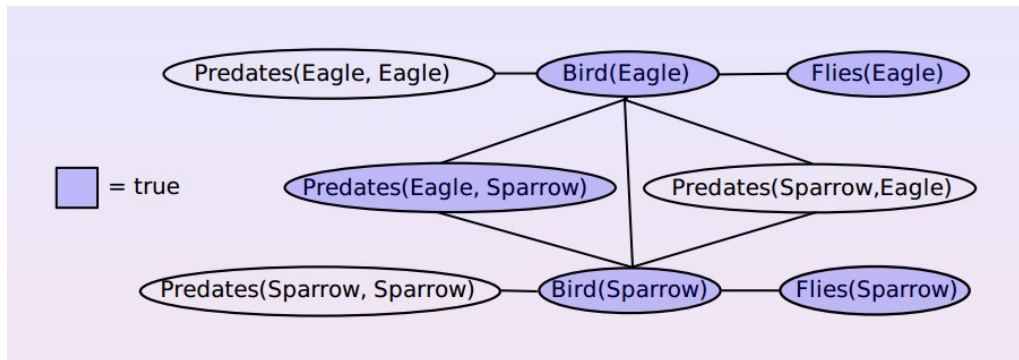
$$w_2 \quad \forall x, y (\text{Predates}(x, y) \wedge \text{Bird}(y) \Rightarrow \text{Bird}(x))$$

- applied to a set of two constants {Sparrow, Eagle}
- generates the Markov Network shown in figure

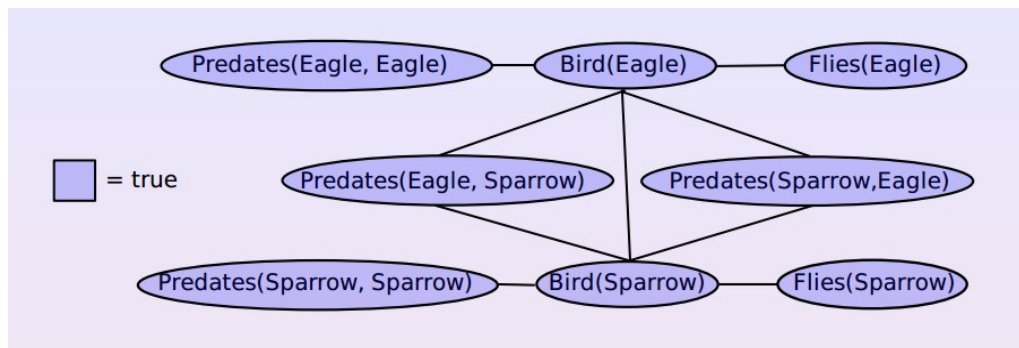


# Method

## Markov Logic Networks:



$$p(x) = \frac{1}{Z} \exp(2w_1 + w_2)$$



$$p(x) = \frac{1}{Z} \exp(2w_1 + 4w_2)$$

# Method

## Markov Logic Networks:

- Inference:
  1. (conditional) probability inference
  2. Maximum a-posteriori inference

$$\operatorname{argmax}_{\mathbf{y}} \sum_{i=1}^k w_i f_i(D_i).$$

- Parameter Learning:
  - Employing the Voted perceptron learner for the experiments

# Method

## Markov Logic Formulation:

- Polarity formulas:

- A segment is positive or negative but cannot be positive and negative at the same time:

$$\forall x : \neg \text{positive}(x) \Rightarrow \text{negative}(x)$$

$$\forall x : \text{negative}(x) \Rightarrow \neg \text{positive}(x)$$

- Numerical a-priori features such as the polarity scores of individual segments provided by external lexical resources

$$\forall x : \text{positive\_source}_\ell(x) \Leftrightarrow \text{positive}(x)$$

$$\forall x : \text{negative\_source}_\ell(x) \Leftrightarrow \text{negative}(x)$$

# Method

## Markov Logic Formulation:

- Neighborhood Relations:

- Intuition: neighboring segments are more likely to have the same polarity.
- *pre* relation:  $pre(x,y)$  if segment  $x$  precedes segment  $y$ .

$$\forall x, y : pre(x, y) \wedge positive(x) \Rightarrow positive(y)$$

$$\forall x, y : pre(x, y) \wedge negative(x) \Rightarrow negative(y)$$

- The weights of above formulas are learned during training

# Method

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# Method

## Markov Logic Formulation:

- Discourse Relations:

- Intuition: employ discourse relations between discourse segments
- *contrast* and *ncontrast* relations:

$$\forall x, y : \text{contrast}(x, y) \wedge \text{positive}(x) \Rightarrow \text{negative}(y)$$

$$\forall x, y : \text{contrast}(x, y) \wedge \text{negative}(x) \Rightarrow \text{positive}(y)$$

$$\forall x, y : \text{ncontrast}(x, y) \wedge \text{positive}(x) \Rightarrow \text{positive}(y)$$

$$\forall x, y : \text{ncontrast}(x, y) \wedge \text{negative}(x) \Rightarrow \text{negative}(y)$$

- Again, the weights of above formulas are learned during training

# Experiment

## Data:

- A subset of the Multi-Domain Sentiment Dataset

- Step 1: Pick three categories:
  - Cell Phones & Service
  - Gourmet Food
  - Kitchen & Housewares

Topic	p	n	total
Cell Phones & Service	1392	1785	3177
Gourmet Food	990	616	1606
Kitchen & Housewares	1188	1405	2593
Sum	3570	3806	7376

Table 1: Amount of positive (p) and negative (n) segments.

- Each category consists of up to 100 reviews, each review is classified as positive/negative according the rating stars.
- Step 2: Pick 20 longest positive and 20 longest negative for each (amount 120 reviews).



# Experiment

## Data:

- Gold Standard
  - Three annotators
  - Label: positive negative or neutral for each passage.
    - Passage: a sequence of words sharing the same opinion
    - Agreement:
      - $k = 0.40$  to  $0.45$  for negative reviews (Fail)
      - $k = 0.60$  to  $0.84$  for positive reviews (Strong agreement)
  - Polarity label for discourse segment:
    - Majority voting of all tokens belonging to the segment

# Experiment

## Details:

- Polarity features:
  - SentiWordNet
  - Taboada and Grieve's Turney Adjective List(TGL)
  - Unigram Lexicon (UL)
- Discourse Parsing
  - Employ the discourse parser HILDA (Verle & Prednginger, 2009)
  - Two tasks:
    - Splitting the review text into discourse segments
    - Determining the discourse relations between segments
      - *contrast* v.s. all others (*ncontrast*)
- 10 fold cross-validation

# Experiment

## Results:

	positive			negative			A
	P	R	F	P	R	F	
majority baseline	0.00	0.00	0.00	51.60	100.00	68.07	51.60
SVM	57.05	43.06	49.08	56.44	69.47	62.28	56.66
MLN_polarity	53.21	69.58	60.31	59.90	42.62	49.80	55.67
MLN_neighborhood	66.38	72.94	<b>69.50</b>	72.02	65.34	<b>68.52</b>	<b>69.02</b>
MLN_contrast	61.39	73.47	66.89	69.48	56.65	62.41	64.79

Table 2: Results (%) for the different systems. P = precision, R = recall, F = F-measure, A = accuracy

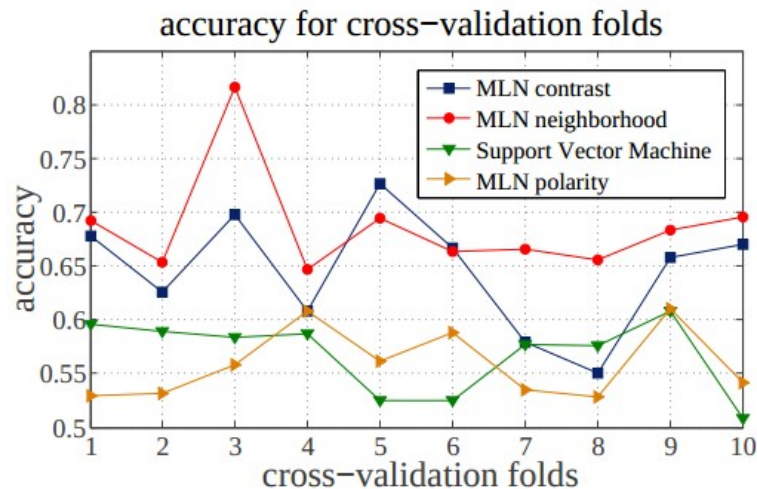


Figure 1: Accuracy values of the various algorithms for the 10 different cross-validation folds

# References

[1] Matthew Richardson and Pedro Domingos, Markov Logic Networks, Machine Learning 62 (1-2): 107–136, 2006

[2] Andrea Passerini, Markov Logic Networks,  
[http://disi.unitn.it/~passerini/teaching/complex\\_systems/slides/MLN.pdf](http://disi.unitn.it/~passerini/teaching/complex_systems/slides/MLN.pdf)